

Enhancing $4\pi\beta\text{-}\gamma$ Coincidence Detection with Machine Learning for Optimized Absolute Radionuclide Activity Measurement

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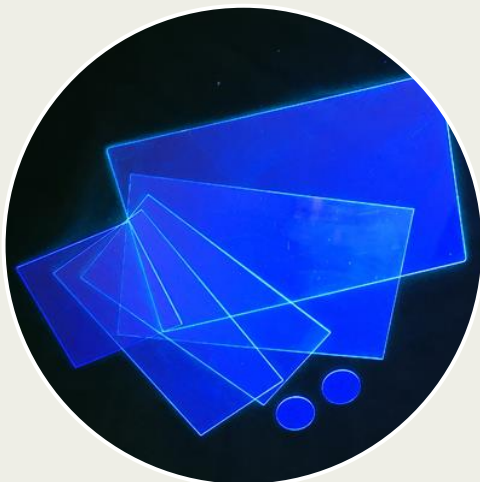
Introduction

- **Accurate measurement of radionuclide activity (in Becquerels) is critically important** for safety, establishing consistent standards, and for the International Monitoring System (IMS) to detect nuclear testing as part of the CTBT.
- The **$4\pi\beta\text{-}\gamma$ coincidence counting method is a foundational, absolute technique** that has been used for decades to measure radioactivity accurately.



Introduction

- **Plastic scintillators** are highlighted as a **cost-effective technology** that is commonly used for the beta-detection channel in these $4\pi\beta\text{-}\gamma$ coincidence counting systems.
- **Advanced electronic digitizers, an Offline Analysis Method (OAM) and Machine Learning (ML)** are identified as key technological advancements that could improve data acquisition, precision, and can save both time and cost in processing.



Objectives

- To improve **the effectiveness of the plastic scintillator** as a β counter in the $4\pi\beta\text{-}\gamma$ system.
- To develop **an improved offline analysis technique incorporating machine learning** for digital pulse processing systems.
- To **improve the accuracy and efficiency of absolute radionuclide activity measurements** with the developed $4\pi\beta\text{-}\gamma$ detection system by employing only one data acquisition experiment, reducing both time and cost.

Methods

- In beta decay immediately followed by gamma emission, **the coincidence counts are based on the disintegration of the same atom.**
- In simple terms,

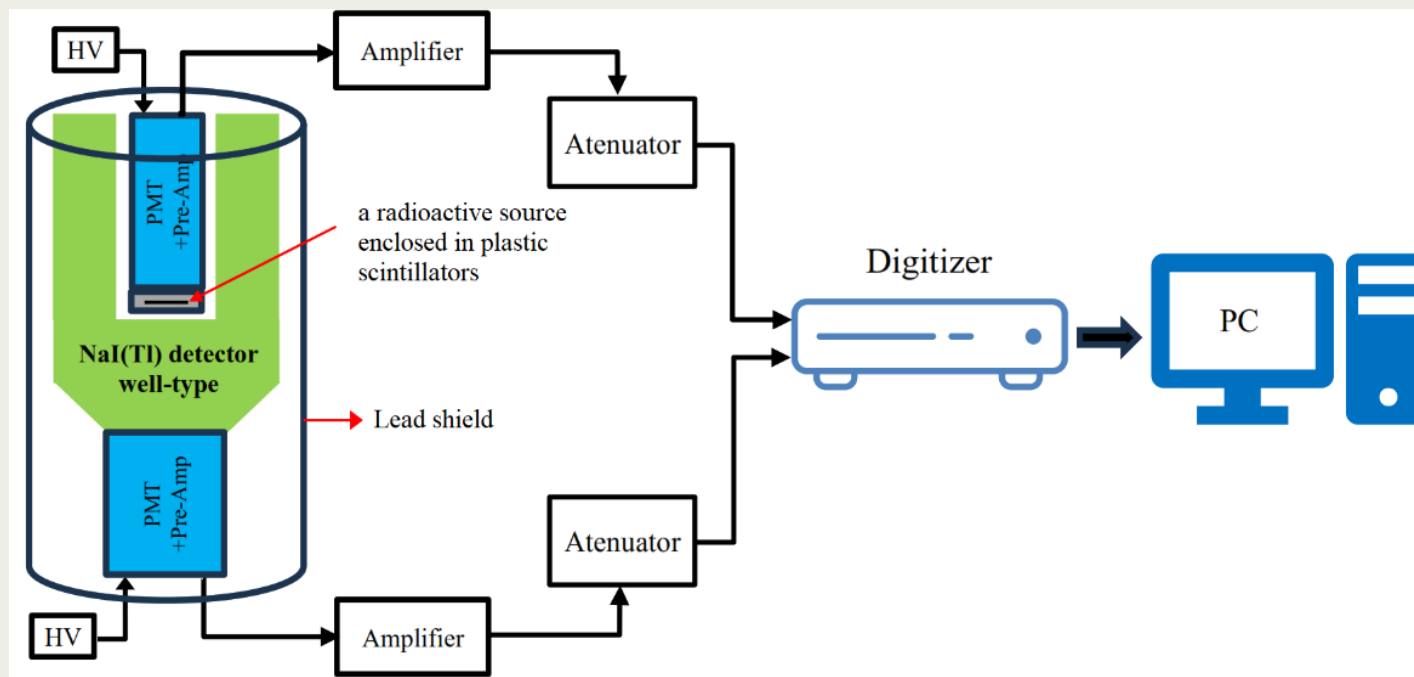
$$\begin{aligned}\rho_{\beta} &= \varepsilon_{\beta} A \quad , \\ \rho_{\gamma} &= \varepsilon_{\gamma} A \quad , \text{ and} \\ \rho_{\beta\gamma} &= \varepsilon_{\beta} \varepsilon_{\gamma} A \quad .\end{aligned}$$



$$\begin{aligned}A &= \frac{\rho_{\beta} \rho_{\gamma}}{\rho_{\beta\gamma}} \\ \varepsilon_{\beta} &= \frac{\rho_{\beta\gamma}}{\rho_{\gamma}} \\ \varepsilon_{\gamma} &= \frac{\rho_{\beta\gamma}}{\rho_{\beta}}\end{aligned}$$

Methods

- To apply $4\pi\beta\text{-}\gamma$ counting, at least **two independent detectors** are required, each sensitive to one type of radiation. Additionally, at least **one detector must have a 4π view** of the source to meet the requirements of the method.



Methods

- to **correct** coincidence counting data for the **effects of non-extendable** **deadtime and accidental coincidences**.

$$\rho_{\beta\gamma} = \frac{R_c - (r_\beta + r_\gamma)R_\beta R_\gamma}{(1 - R_\beta \tau_\beta)(1 - R_\gamma \tau_\gamma)X(r_\beta, r_\gamma) + R_c \tau_m Y}$$

- Utilizing a $4\pi\beta$ detector, **varying β efficiency and extrapolating it** to unit value can **derive an accurate value of the activity**, without needing to know the precise values of the nuclear decay scheme parameters.

$$\rho_\beta = A \left[1 - f_1 \left[1 - \frac{\rho_{\beta\gamma}}{\rho_\gamma} \right] \right] \rightarrow A, \quad \text{as } \frac{\rho_{\beta\gamma}}{\rho_\gamma} \rightarrow 1,$$

or equivalently

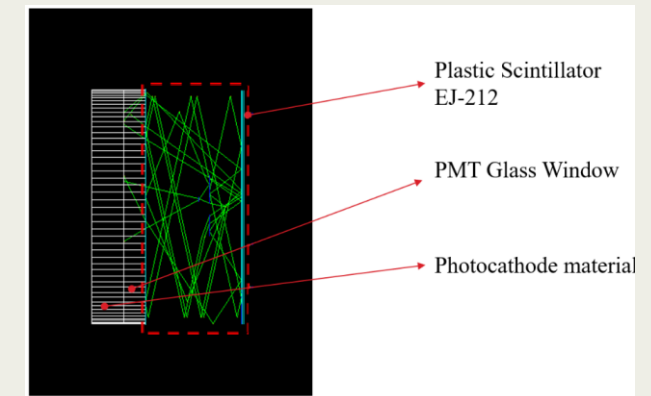
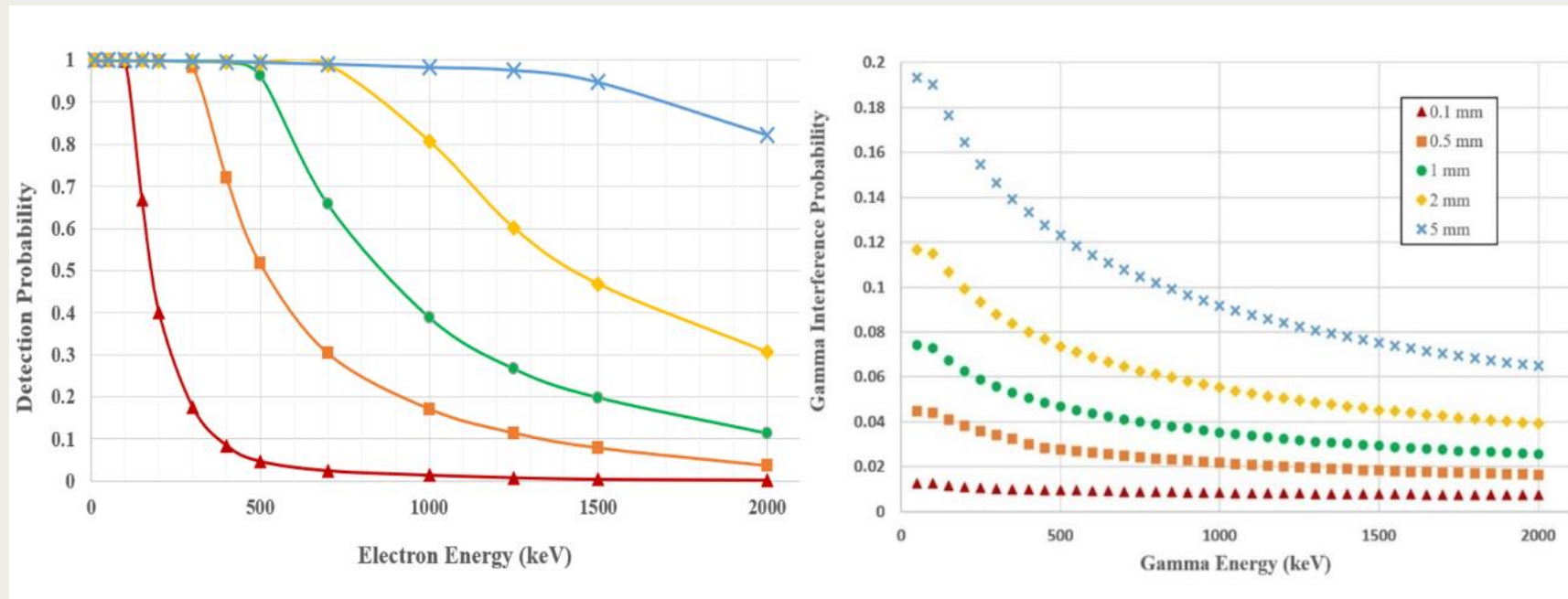
$$\frac{\rho_\beta \rho_\gamma}{\rho_{\beta\gamma}} = A \left[1 - f_2 \left[\frac{1 - \frac{\rho_{\beta\gamma}}{\rho_\gamma}}{\frac{\rho_{\beta\gamma}}{\rho_\gamma}} \right] \right] \rightarrow A, \quad \text{as } \frac{\rho_{\beta\gamma}}{\rho_\gamma} \rightarrow 1.$$

Practically, the functions of f_1 and f_2 are supposed to be polynomials in

$$\left[1 - \frac{\rho_{\beta\gamma}}{\rho_\gamma} \right] \text{ or } \left[\frac{1 - \frac{\rho_{\beta\gamma}}{\rho_\gamma}}{\frac{\rho_{\beta\gamma}}{\rho_\gamma}} \right].$$

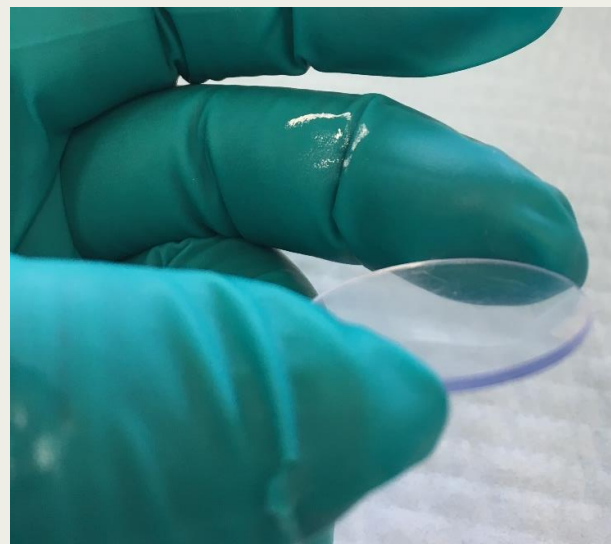
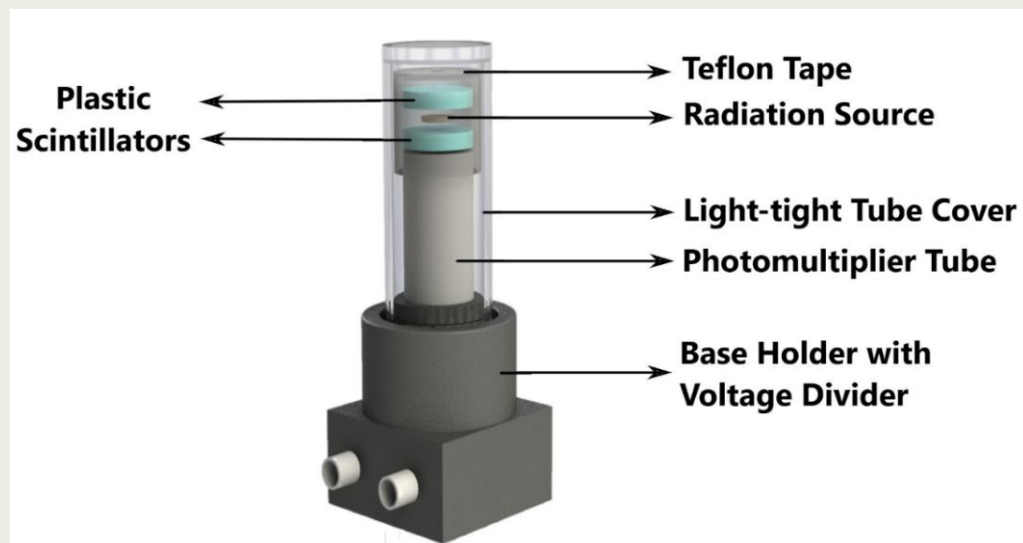
Methods

- The **GEANT4** simulation was used to investigate the optimal thickness of the **plastic scintillator** as the β detector, that absorbs incoming electrons while minimizing photon interference.



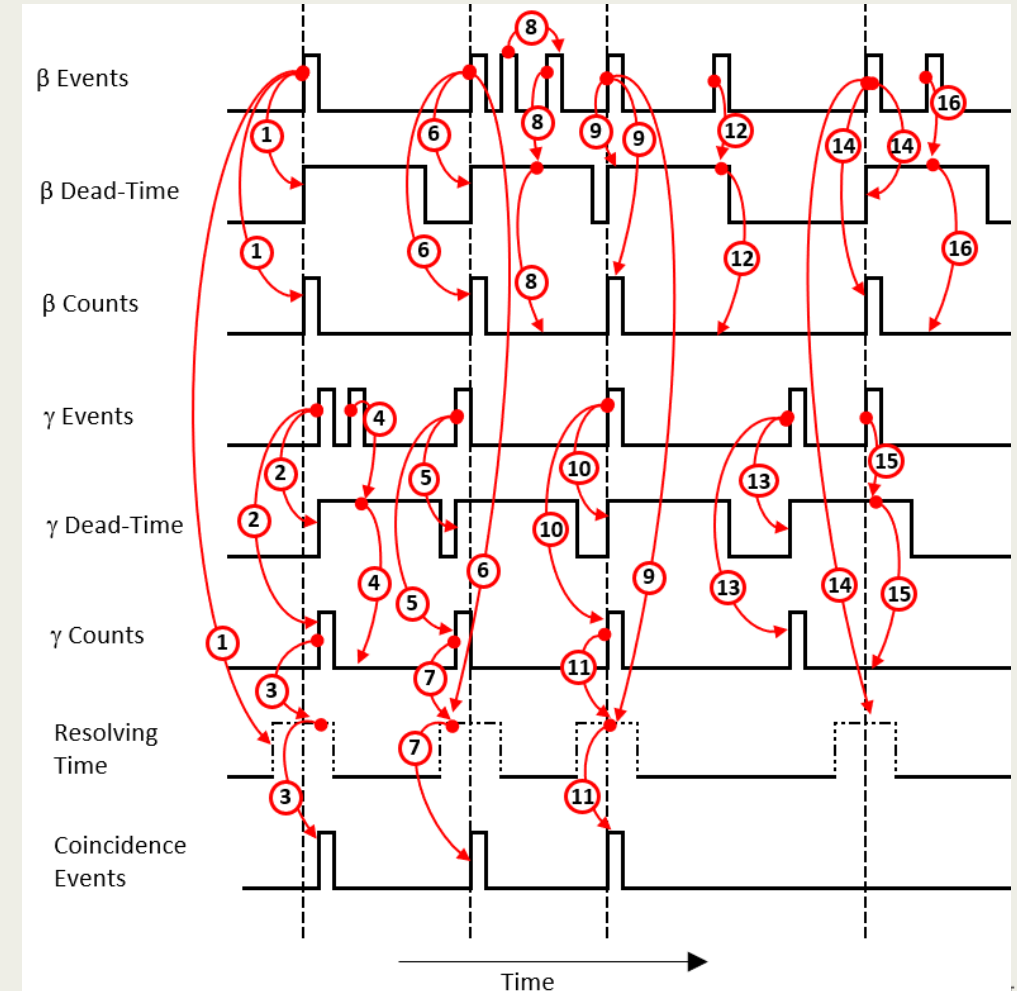
Methods

- For **Cobalt-60**, the beta detector setup consisted of **two 1 mm round plastic scintillators** wrapped in Teflon, with optical grease applied to eliminate air gaps, and without any cavity included.
- The ^{60}Co solution was dispensed on a plastic scintillator. Once dried, the scintillator was bonded to another one using BC-600 optical cement.



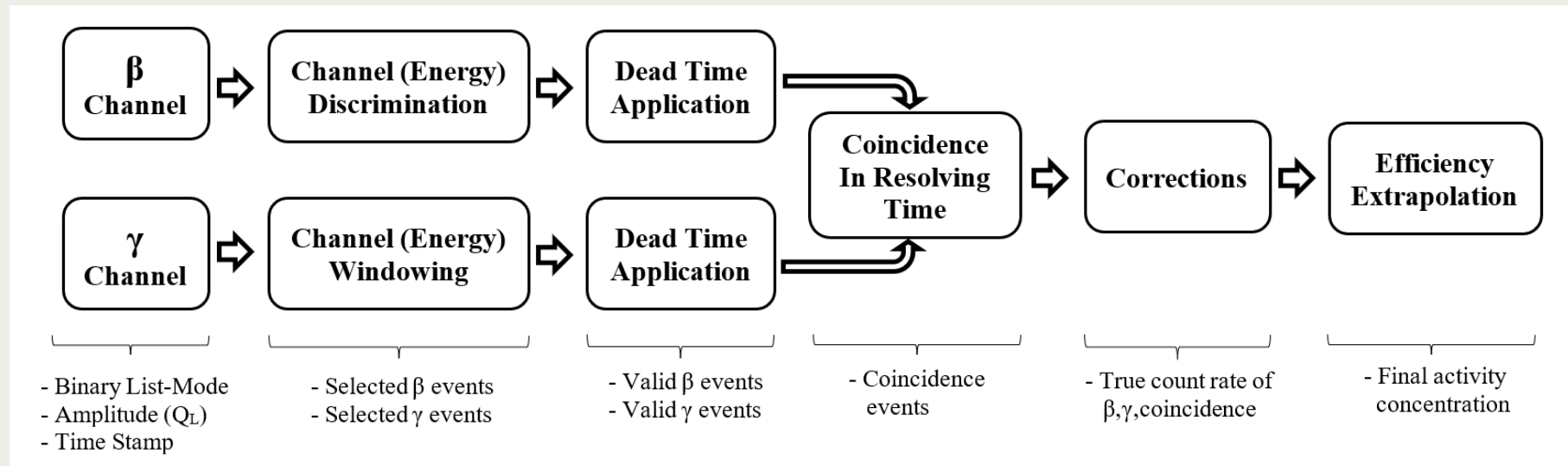
Methods

- The CAEN digitizer generates compact **binary list-mode data**, which we decoded using **Python for offline analysis**.
- Valid $\beta\text{-}\gamma$ coincidences** were identified within an **adaptive resolving time triggered by β events**.



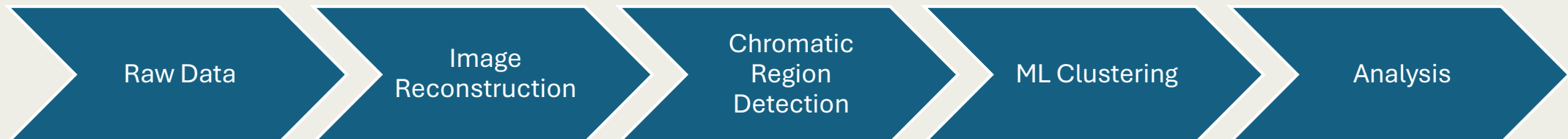
Methods

- Unlike conventional methods that require pre-defined parameters (dead time, threshold, resolving time, etc.) and repeated experiments, our **offline approach** allows **all parameters to be flexibly adjusted during analysis**.
- This **ensures reliable results** while avoiding hardware limitations and environmental fluctuations.

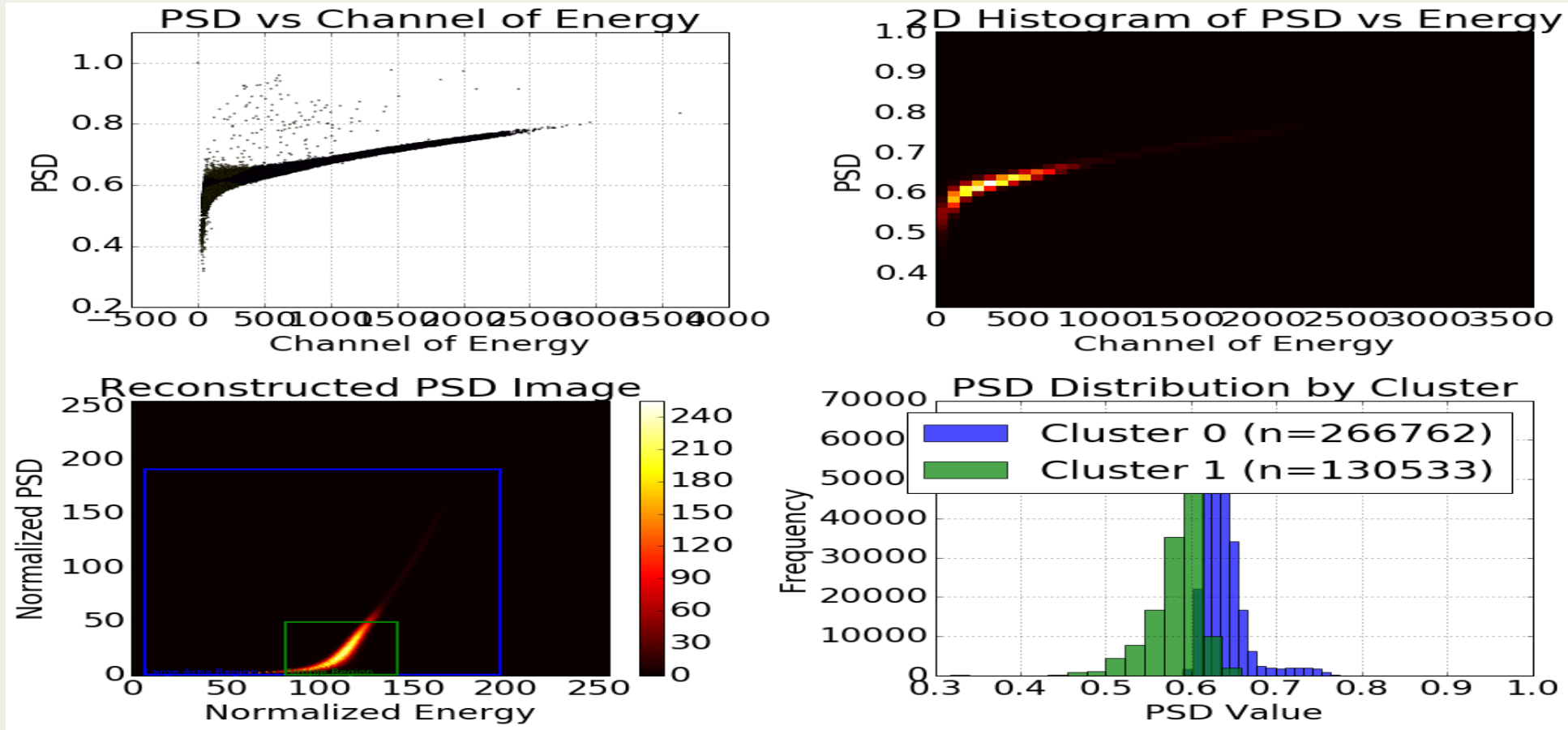


Methods

- A **machine learning (ML)** algorithm was implemented, especially to discriminate true β signals from noise, **enhancing the reliability of the coincidence counting process**.
- The ML: automatically **identify the high-density "chromatic" region** in PSD data and **determine the optimal PSD threshold** to separate particle types.

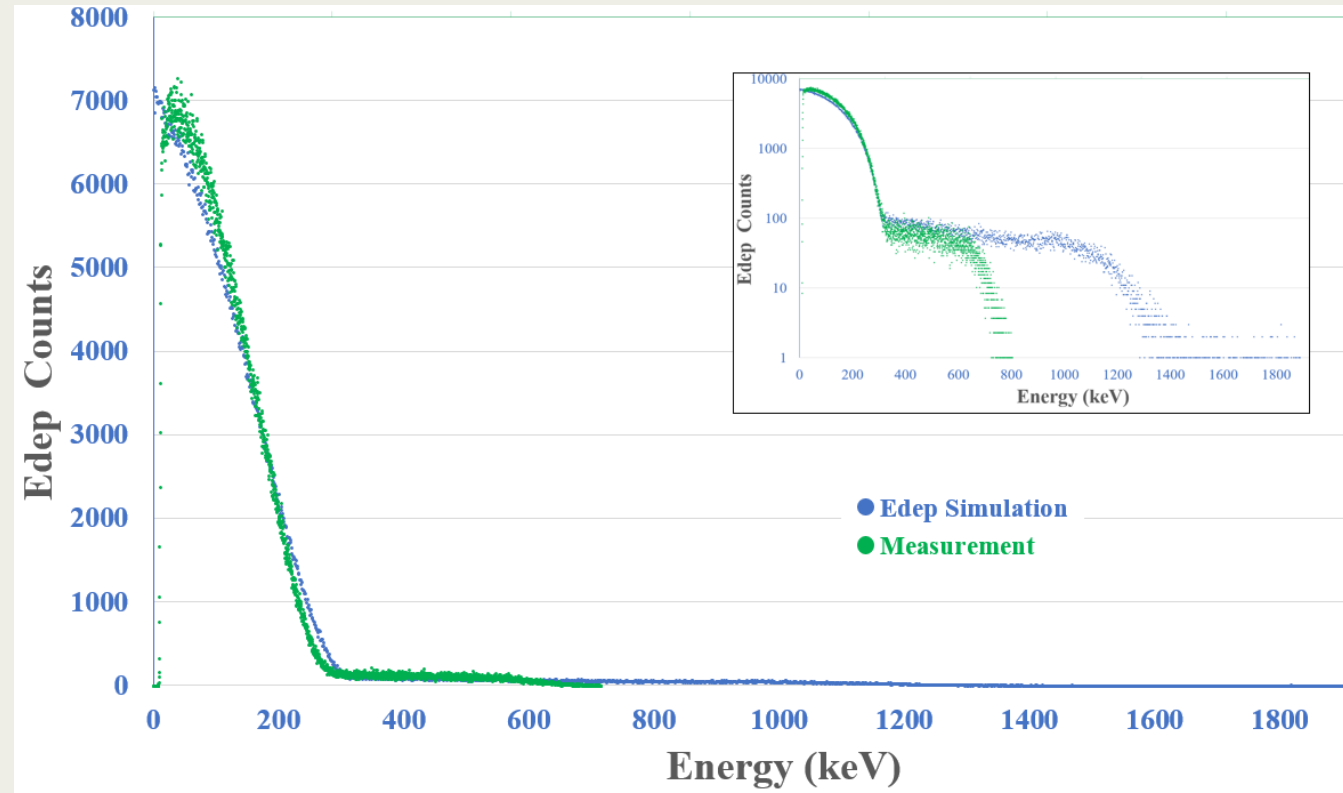


Methods



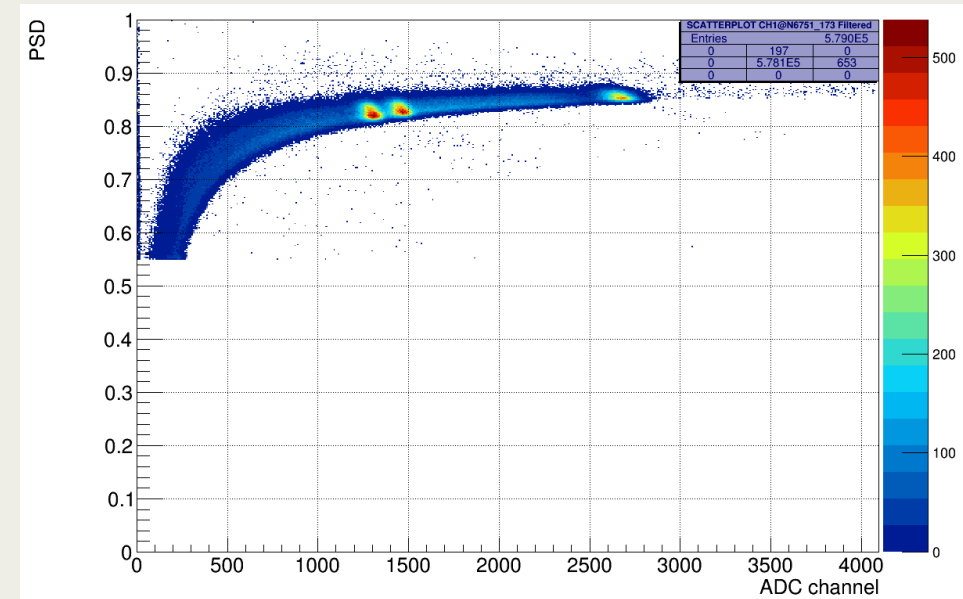
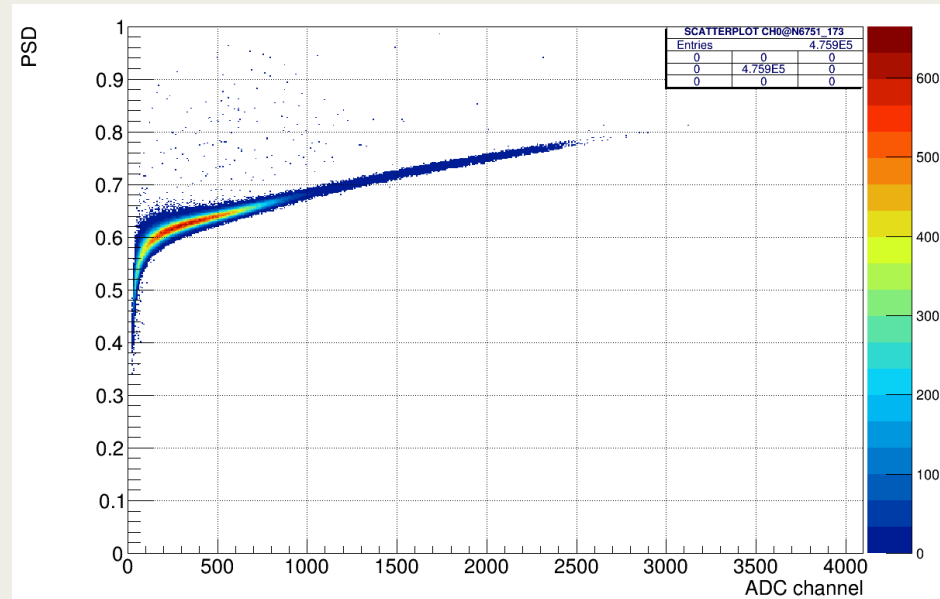
Results

- For the β detector, **the simulated spectrum for the EJ-212 plastic scintillator corresponds closely with the measured spectrum of Cobalt-60**



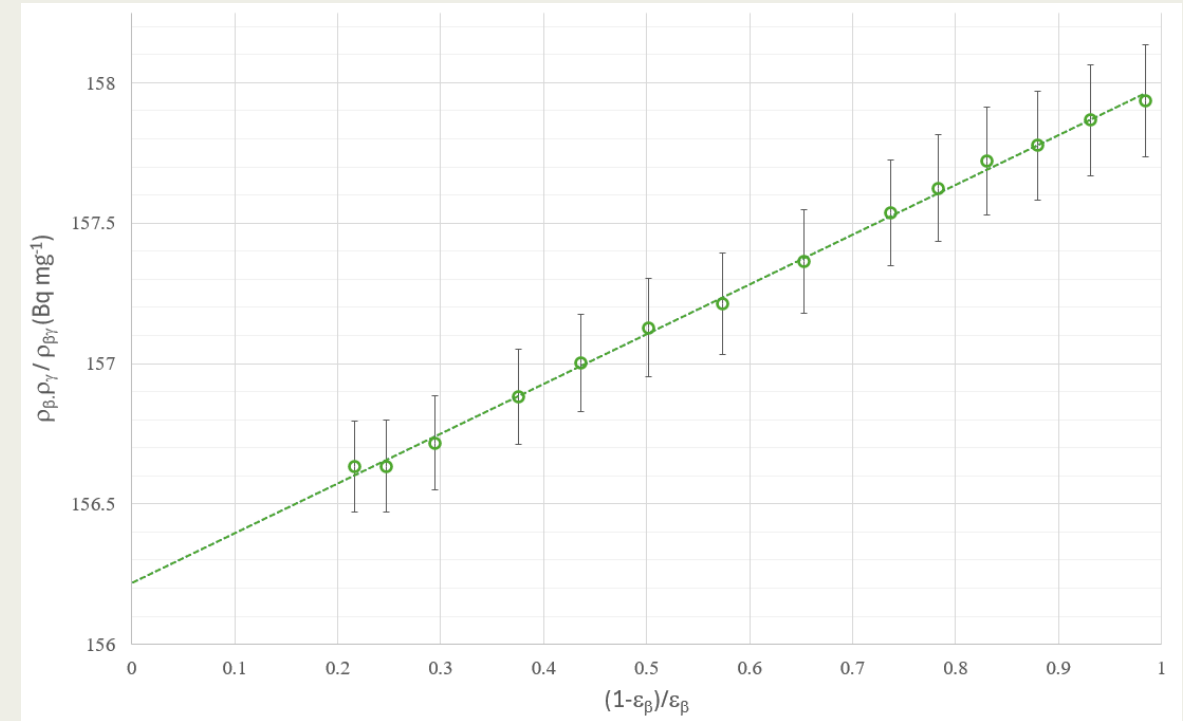
Results

- Two-dimensional **histograms** of the β -channel and the γ -channel generated from the CoMPASS software while measuring a ^{60}Co source.



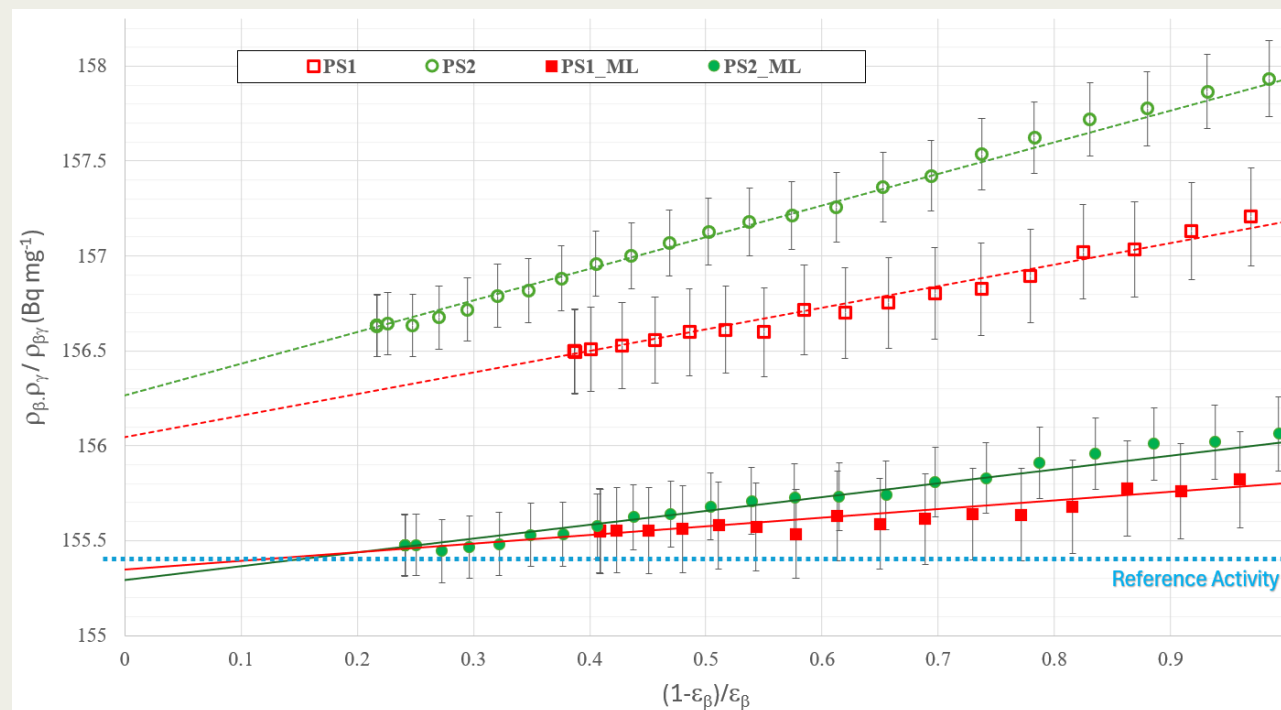
Results

- Setting **variation of beta efficiency and machine learning implementation** were addressed by the offline analysis.
- **Efficiency extrapolation** was performed to obtain the final value of **activity concentration** using only one set of experimental measurement data



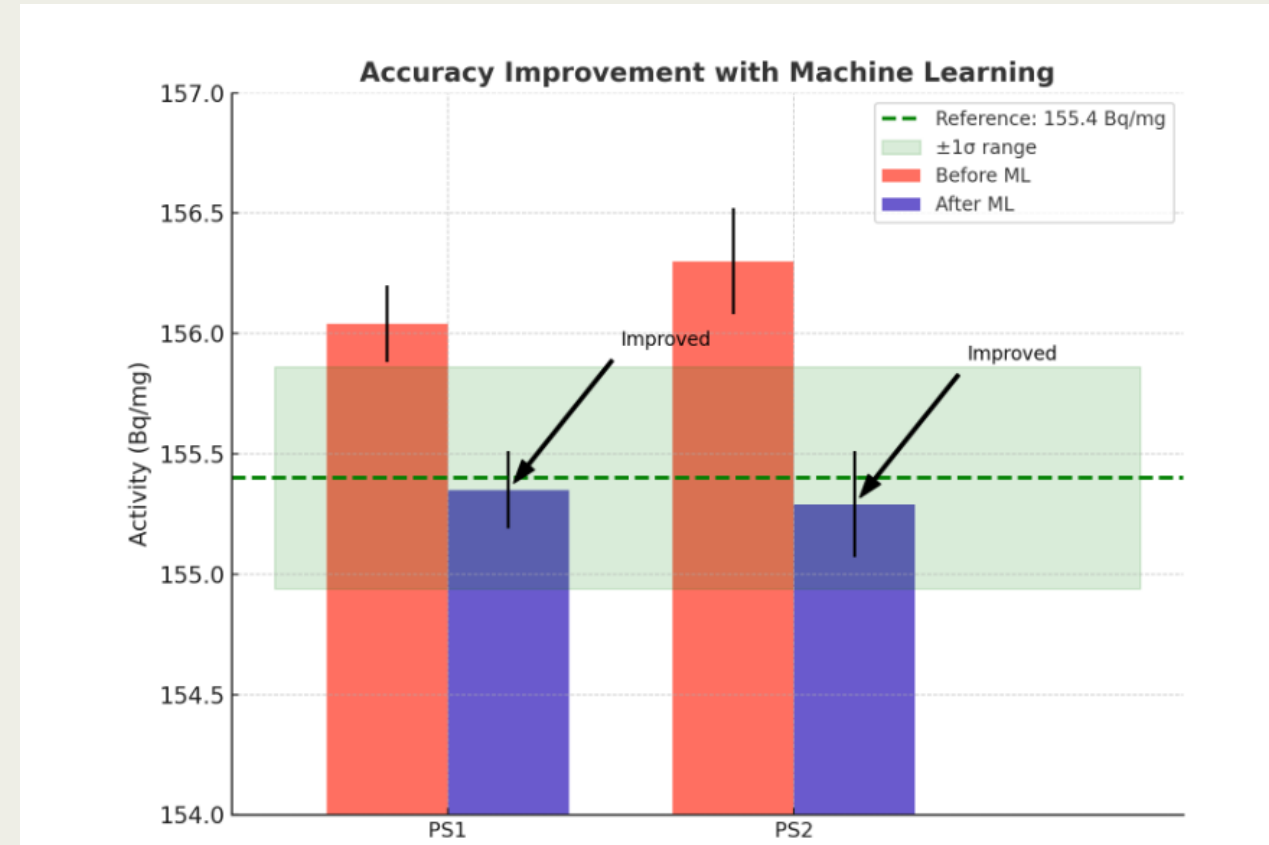
Results

- With the reference value of 155.46 ± 0.4 Bq/mg, the application of machine learning improved the accuracy of the measurements for both samples.
- For sample PS1, the result improved from 156.04 ± 0.16 Bq/mg to **155.35 ± 0.16 Bq/mg**
- For sample PS2, the result improved from 156.3 ± 0.22 Bq/mg to **155.29 ± 0.22 Bq/mg**.



Results

- **Closer to Reference Value** – After applying machine learning, results for both samples (PS1 & PS2) aligned more closely with the reference.
- **Error Bars Within Uncertainty** – Post-ML measurements fall entirely within the reference uncertainty range (blue area).
- **Improved Accuracy** – Machine learning significantly enhanced the accuracy of radionuclide activity measurements.



Conclusion

- **The offline analysis method integrated with machine learning** for coincidence counting using a $4\pi\beta$ (Plastic Scintillator)- γ system was successfully implemented, **significantly enhancing the accuracy of absolute radionuclide measurements.**
- **In contrast to conventional techniques** that may require multiple experimental runs, **this approach enables accurate absolute radioactivity calculations from a single data acquisition**, thereby reducing measurement time and minimizing unwanted signal fluctuations.
- The system demonstrated **high accuracy** in determining the activity of ^{60}Co , with a deviation of only **0.09% from the reference activity.**



Thank You